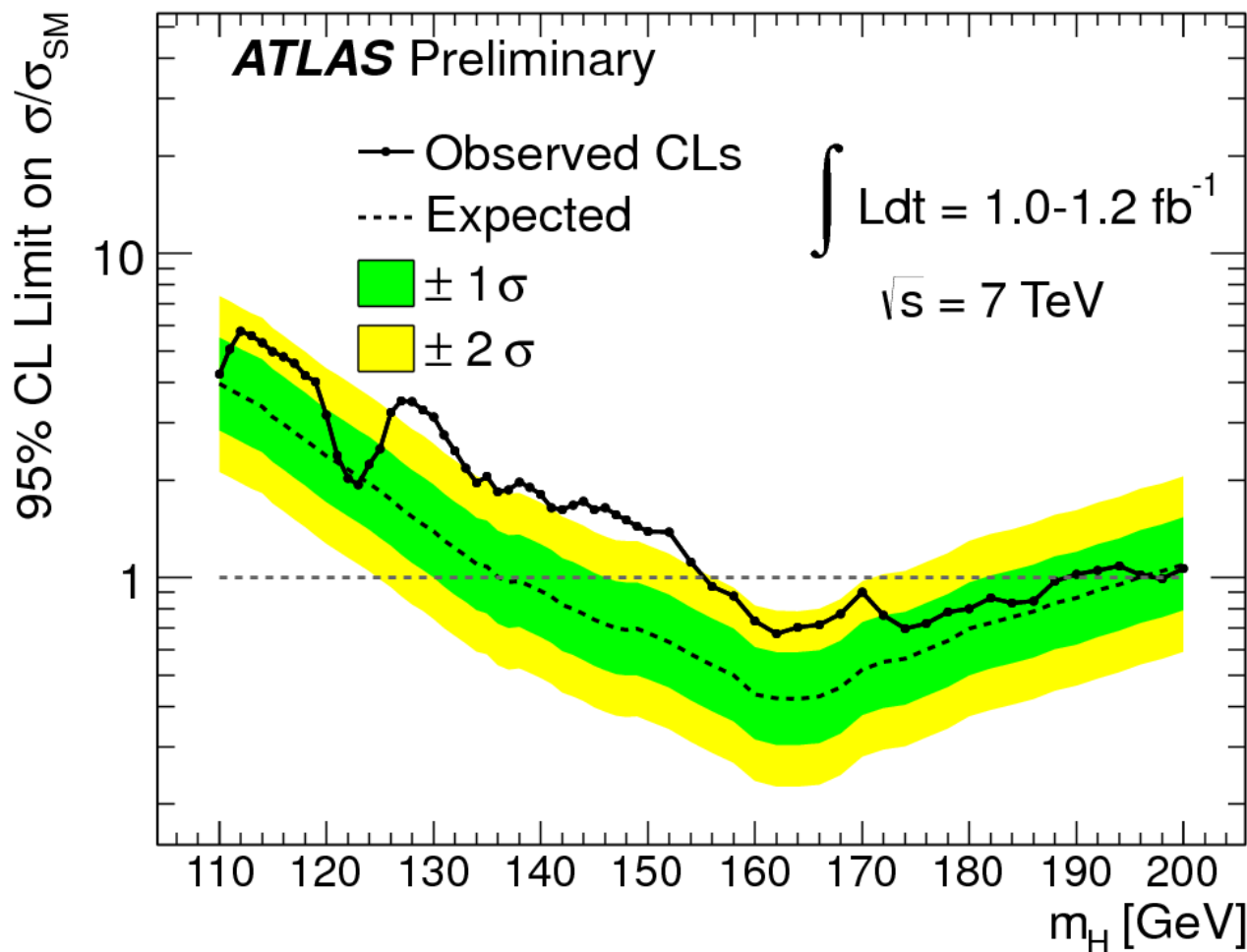


# The lightest Higgs mass in MSSM + extra matter

佐藤 亮介 (東京大学)

**“Non-anomalous Discrete R-symmetry, Extra Matters,  
and Enhancement of the Lightest SUSY Higgs Mass”,  
M. Asano, T. Moroi, RS and T. T. Yanagida [arXiv:1108.2402]**

# Higgsがもうすぐ見つかる？ (すでに見え始めている?)



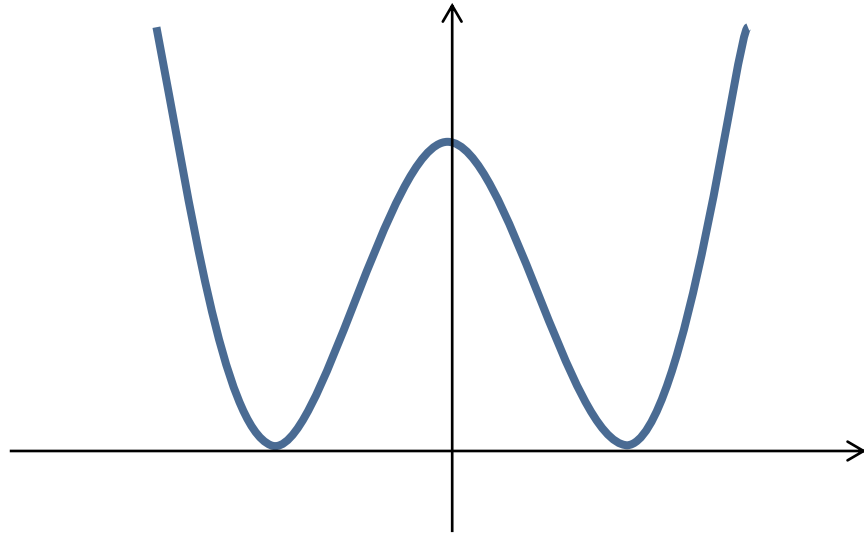
# Supersymmetry (MSSM)のHiggs sector

2 Higgs doublet  $\begin{pmatrix} H_u^+ \\ H_u^0 \end{pmatrix}$   $\begin{pmatrix} H_d^0 \\ H_d^- \end{pmatrix}$

CP-even Higgs	2	$h_0, H_0$
CP-odd Higgs	1	$A_0$
Charged Higgs	2	$H^\pm$
NG-boson (eaten by W, Z)	3	$(W_L^\pm, Z_L)$

CP-even Higgsの軽い方が、  
Standard Model-like Higgsとなる。

# MSSMは軽いHiggsを予言する。



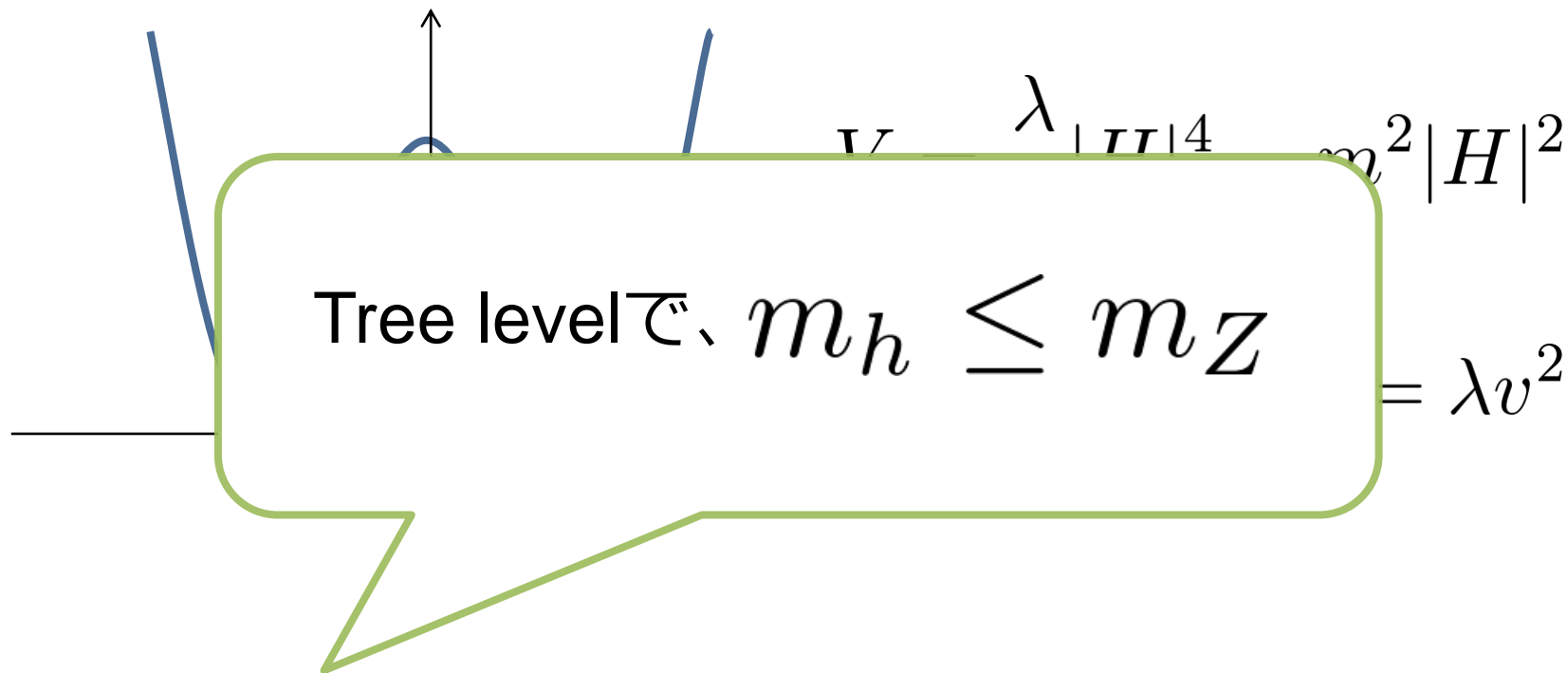
$$V = \frac{\lambda}{2} |H|^4 - m^2 |H|^2$$

$$\longrightarrow m_h^2 = \lambda v^2$$

MSSMでは、4点結合がgauge couplingだけで決まる。

$$V_{MSSM} = \frac{g^2 + g'^2}{8} (|H_u^0|^2 - |H_d^0|^2)^2 + \dots$$

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Loop correctionで、Higgsの質量は上がる。

[Okada, Yamaguchi, Yanagida ('91)]

top, stop の寄与が重要！

$$\mathcal{L}_{int.} \ni \left\{ \begin{array}{l} y_t H_u^0 t_L t_R^c + h.c. \\ y_t^2 |H_u^0|^2 |\tilde{t}_L|^2 + y_t^2 |H_u^0|^2 |\tilde{t}_R^c|^2 \\ y_t a_t H_u^0 \tilde{t}_L \tilde{t}_R^c + h.c. \end{array} \right.$$

Higgs massの補正



スカラー4点の補正

$$\Delta m_h^2 \sim \Delta \lambda \cdot v^2$$

$$\Delta\lambda = \text{top} + \text{stop} + \dots + \text{stop} + \dots + \text{stop}$$

The diagram shows the shift in the Higgs self-coupling,  $\Delta\lambda$ , as a sum of loop diagrams. The first diagram is a top quark loop, labeled "top" in blue, consisting of a solid circle with four dashed external lines. The subsequent diagrams are stop quark loops, labeled "stop" in orange, consisting of a dashed circle with four dashed external lines. Ellipses between the diagrams indicate that there are more terms in the series.

$$\Delta m_h^2 \sim \Delta\lambda \cdot v^2 \simeq \frac{3y_t^4 v^2}{2\pi^2} \times \left[ \log \frac{m_{\tilde{t}}^2}{m_t^2} + \frac{1}{4} \left( \frac{a_t^2}{m_{\tilde{t}}^2} - \frac{a_t^4}{12m_{\tilde{t}}^4} \right) \right]$$

$$\Delta\lambda =$$

stop massの  
logで効く。

+

$a_t \simeq \sqrt{6}m_{\text{stop}}$   
で最もpositive

top

stop

stop

stop

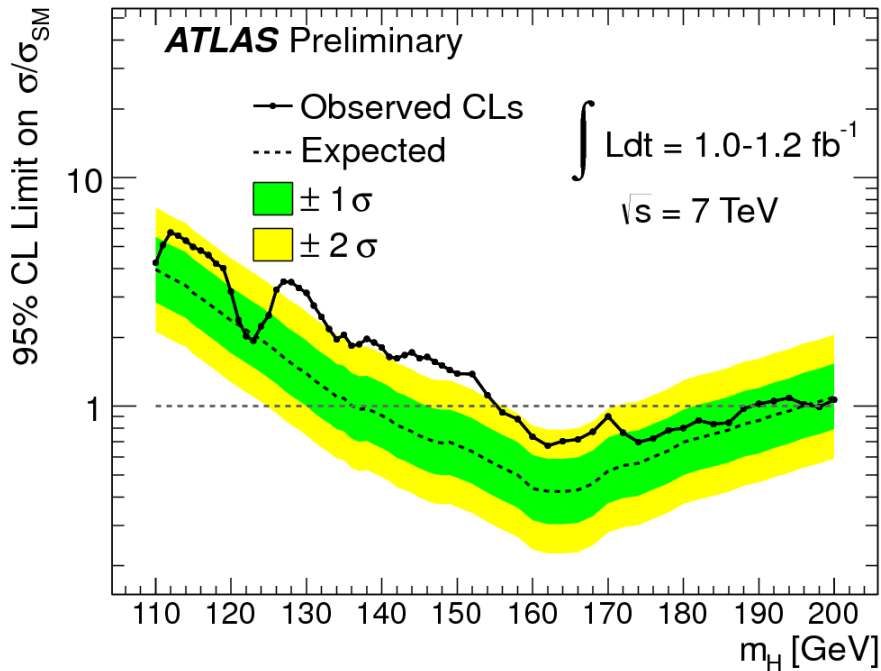
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補正にはやっぱり限度がある。

$m_{\text{stop}}$  が1TeVなら、せいぜい125GeV

[Carena, Haber ('02)]





130-150 GeVにHiggsいるかも？

vs

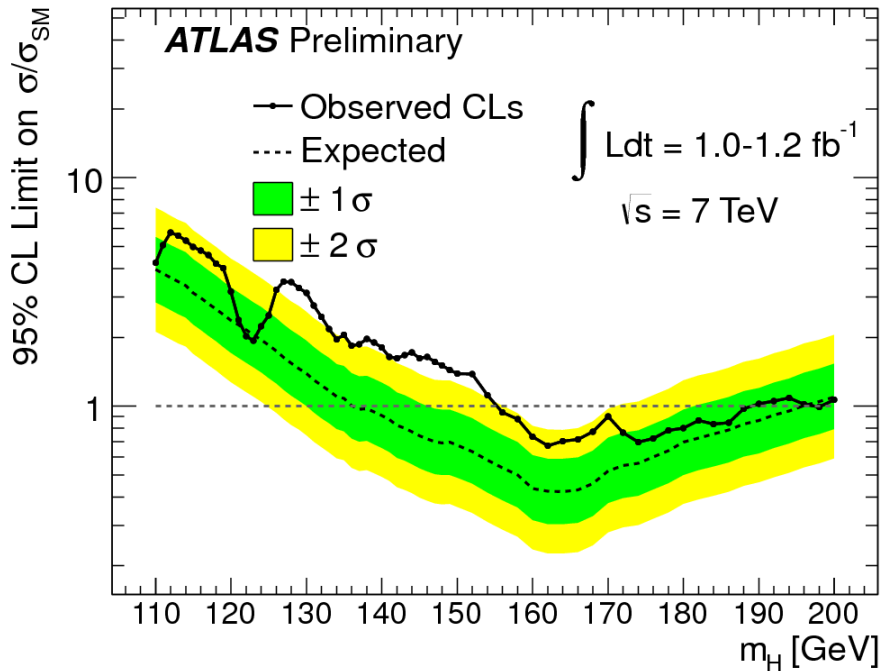
SUSY(MSSM)だとHiggs軽い！

4点結合を大きくできれば、Higgsは重くできる！

- tree level (Next-to-MSSM)

$$W \ni \lambda S H_u H_d \quad \longrightarrow \quad \Delta V = |\lambda H_u H_d|^2 + \dots$$

- loop level (Extra Matter)



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# Extra matter $\mathcal{D}$ motivation

discrete R symmetry  $Z_{NR}$   $\mathcal{D}$  anomaly cancelation

[Kurosawa, Maru, Yanagida ('01)]

# Extra matterのmotivation

discrete R symmetry  $Z_{NR}$  の anomaly cancelation

[Kurosawa, Maru, Yanagida ('01)]

Proton decayを強く suppressする。

(普通のR-parityより強力)

$$~~W = \frac{1}{\Lambda} QQQQL + \frac{1}{\Lambda} \bar{U}U\bar{D}\bar{E}~~$$

Giudice Masiero mechanismと組み合わせられる。

$Z_{NR}$  の破れ  
SUSYの破れ



$$\int d^2\theta \mu H_u H_d$$

# 具体的なセットアップ

Vector-likeなmatter

massは、Giudice-Masiero Mechanismを想定。

$$\longrightarrow m_{\text{extra}} \sim \mathcal{O}(1) \text{ TeV}$$

- Perturbative GUT
- Anomaly Cancellation of  $Z_{NR}$

$$\longrightarrow 5 + \bar{5}, \quad 3 \times (5 + \bar{5}), \quad 10 + \bar{10}$$

# 具体的なセットアップ

Vector-likeなmatter

massは、Giudice-Masiero Mechanismを想定。

→  $m_{\text{extra}} \sim (1) \text{ TeV}$

$H \ 10 \ 10 \in W$

- Perturbative GUT
- Anomaly Cancellation of  $Z_{NR}$

→  $5 + \bar{5}, \quad 3 \times (5 + \bar{5}), \quad 10 + \bar{10}$

# 具体的なセットアップ

$$\text{MSSM} + 10 + \bar{10}$$

$$10 = (Q, U, E), \quad \bar{10} = (\bar{Q}, \bar{U}, \bar{E})$$

---

$$W_{\text{ex}} = M_Q Q \bar{Q} + M_U U \bar{U} + M_E E \bar{E} + y_U H_u Q U$$

$$\mathcal{L}_{\text{soft,ex}} = a_U y_U H_u Q U + h.c.$$

Giudice-Masiero Mechanism



$$M_Q, M_U, M_E \sim \mathcal{O}(1) \text{TeV}$$

# Extra matterの Higgs 4点に対する寄与

(基本的には、top&stopと一緒に。)

log的な寄与

A-termなどの寄与

$$\Delta\lambda \simeq \frac{3y^4}{8\pi^2} \left[ \ln \left( \frac{M^2 + m^2}{M^2} \right) - \frac{1}{4} \frac{A^4 - (8M^2 + 12m^2)A^2 + 8M^2m^2 + 10m^4}{(M^2 + m^2)^2} \right]$$

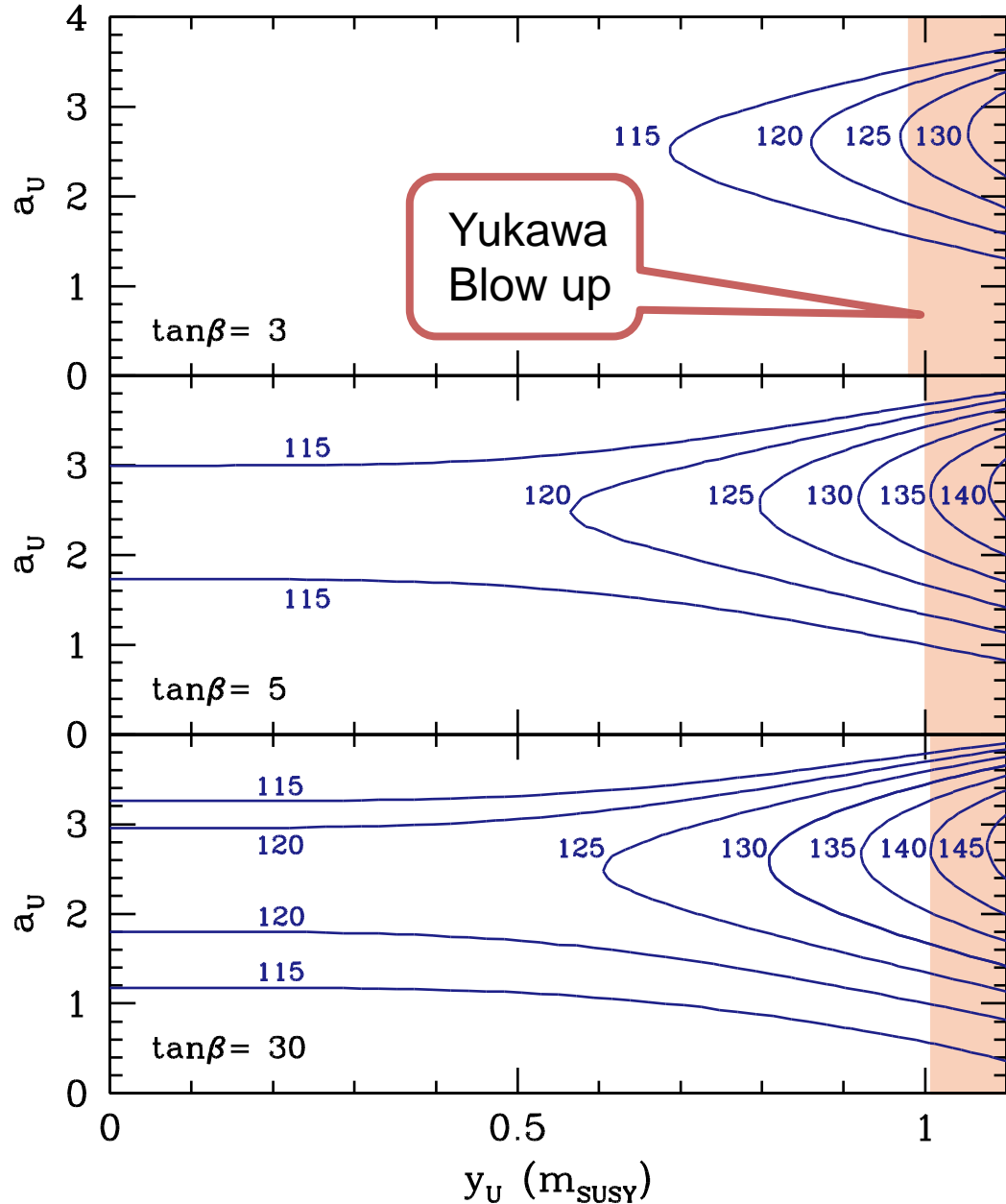
$M = M_Q = M_U = M_E$  (SUSY-invariant mass)

$m^2 = m_Q^2 = m_U^2 = m_E^2$  (soft mass)



$$M_Q = M_U = M_E = m_{\text{SUSY}} = 1 \text{ TeV}$$

$$a_t = a_U$$



\* Effective  $|Hu|^4$ が出るので、large tanbetaが有利。

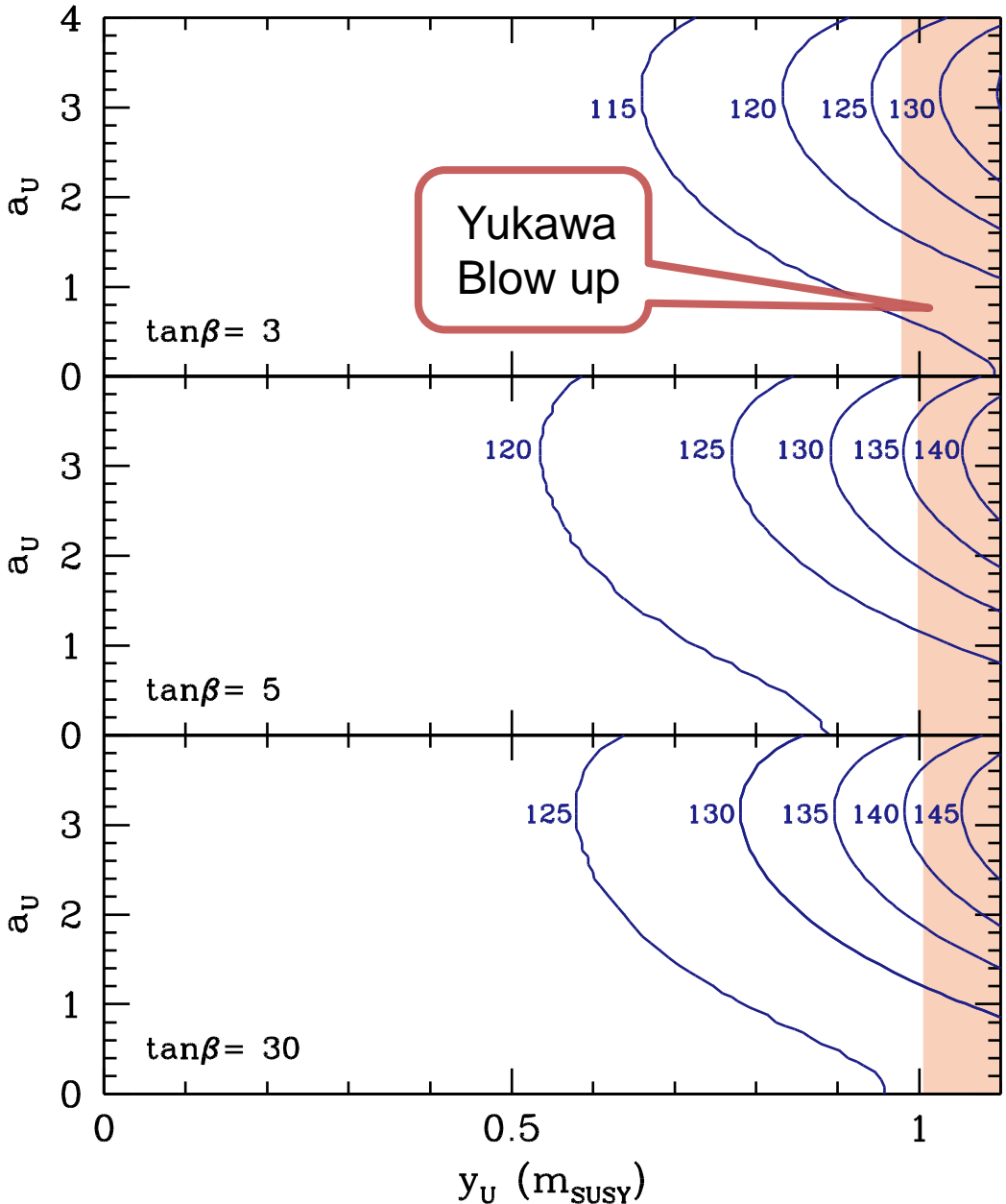
\* YukawaとA-termの両方効く。

$$M_Q = M_U = M_E = m_{\text{SUSY}} = 1 \text{ TeV}$$

$$a_t = \sqrt{6} \text{ TeV}$$

\* Effective  $|Hu|^4$ が出るので、large tanbetaが有利。

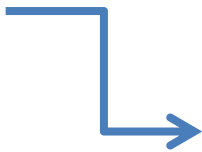
\* YukawaとA-termの両方効く。



# Conclusion

$$m_{\text{SUSY}} \lesssim 1 \text{ TeV} \longrightarrow m_h \lesssim 125 \text{ GeV} \\ \text{@ MSSM}$$

## Extra Matter ( $10+10^*$ )



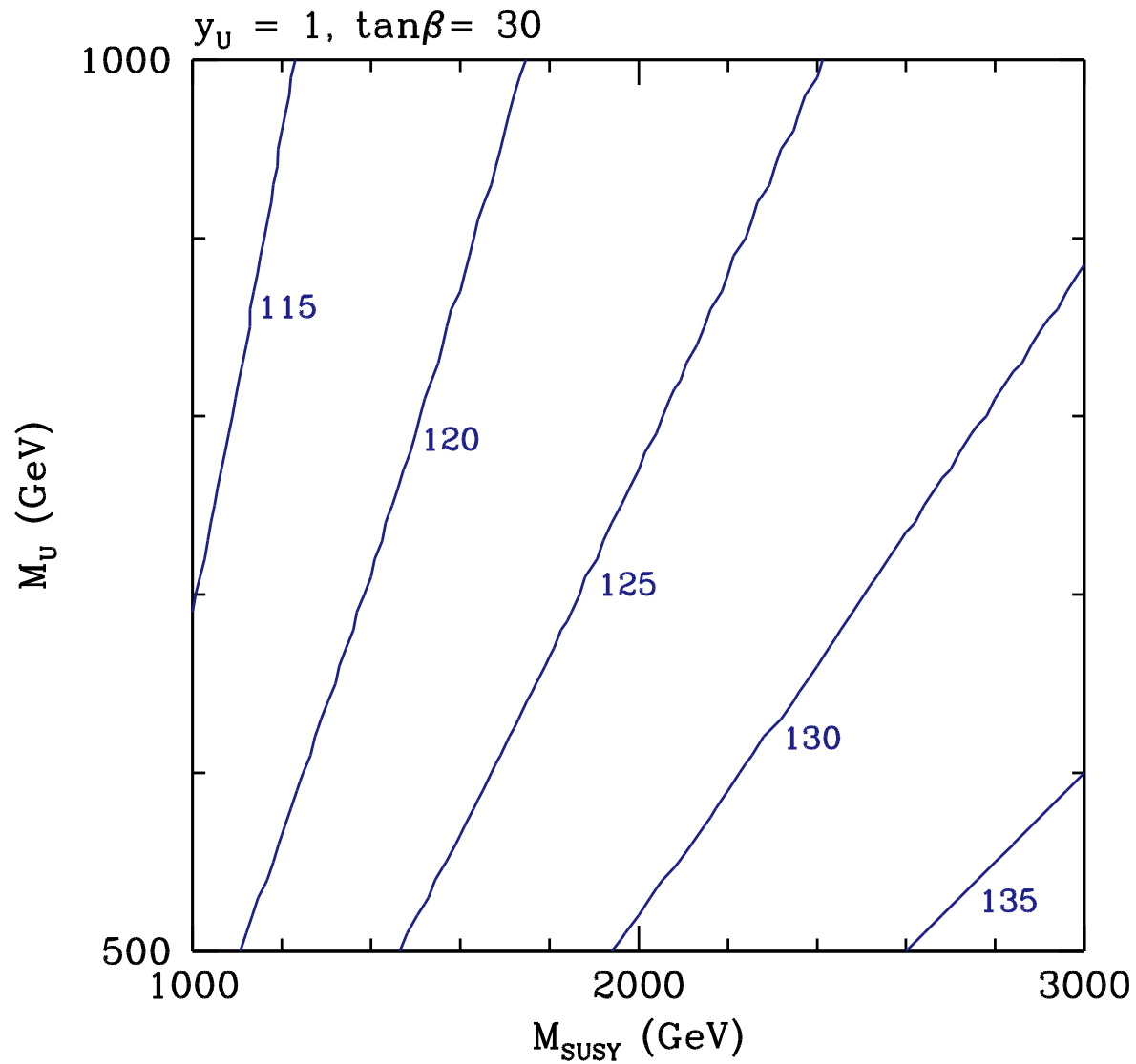
Enhancement of  $m_h \longrightarrow \sim 140 \text{ GeV}$   
Anomaly Cancellation of  $Z_{NR}$

- proton stability
- Giudice-Masiero mechanism



**Backup**

# A-termを0にした場合。



# Giudice Masiero Mechanism

[Giudice, Masiero ('88)]

$$\int d^2\theta \mu H_u H_d$$

**Mu Problem!**

Higher dimensional Operator

$$\int d^4\theta \frac{Z^\dagger}{M_{\text{Pl}}} H_u H_d \longrightarrow \mu \sim m_{3/2}$$

Gravity Mediationと組み合わせれば、  
Muの大きさが良い塩梅になれる。

# $Z_{NR}$ の一例

$$Z_{4R} \xrightarrow[\langle W \rangle \neq 0]{(\text{SUSY breaking})} Z_{2R}$$

usual R-parity  
with parity-odd extra matter

	$\bar{5}_{\text{SM}}$	$10_{\text{SM}}$	$N$	$5_H$	$\bar{5}_H$	$10_{\text{ex}}$	$\bar{10}_{\text{ex}}$	$\theta$
$Z_{4R}$	1	1	1	0	0	1	-1	1